

Space Instrumentation: Measuring Magnetic Fields in Space

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Physik

... the next 45 Minutes

- The Magnetic field
- Magnetometers:
 - Torsional Magnetometer
 - Fluxgate-Magnetometer
 - Searchcoil Magnetometer
- Magnetometer Calibration
- Magnetic Cleanliness

The Magnetic field

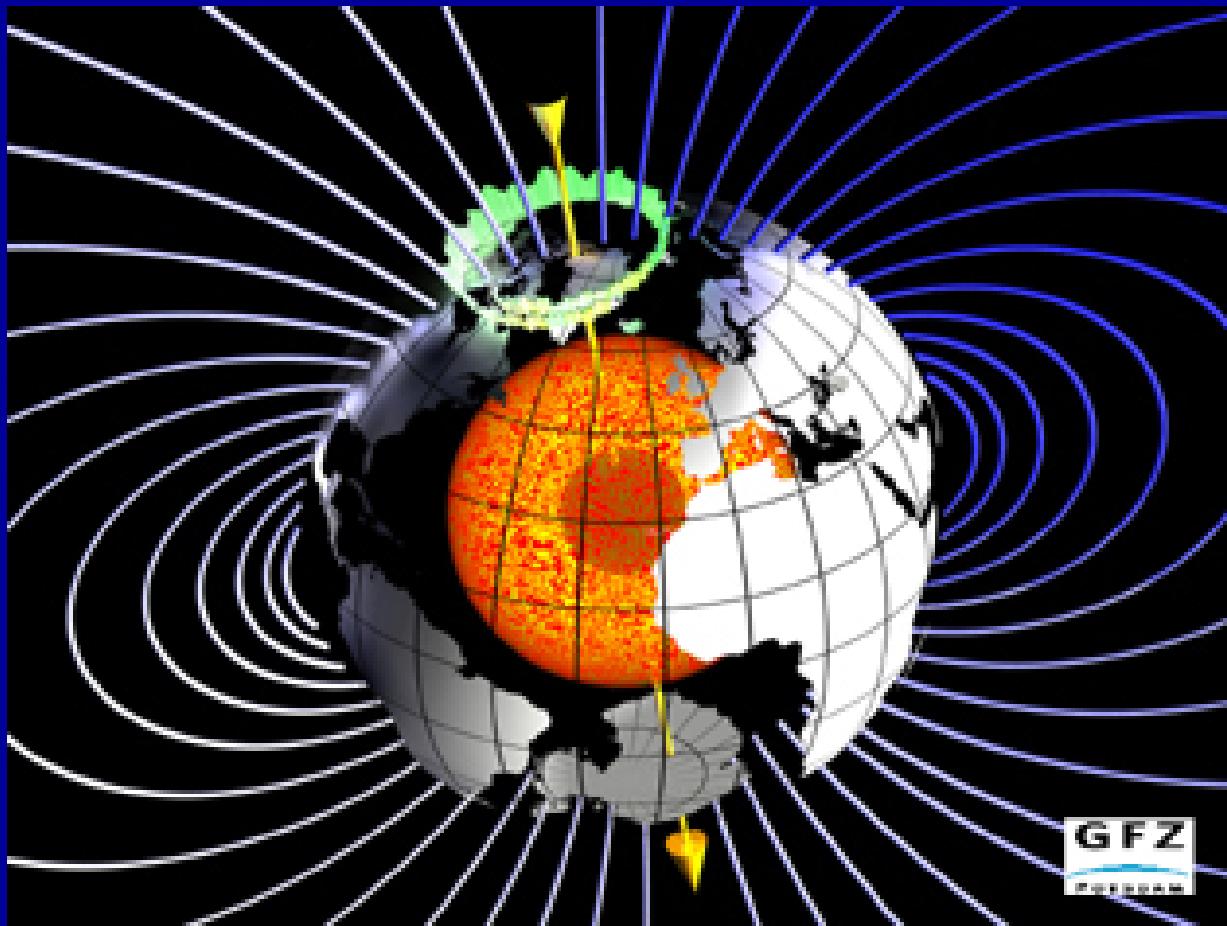
The Magnetic field

Maxwell Equations

Name or Description	SI
Faraday's law	$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}$
Ampere's law [Absence of magnetic monopoles]	$\nabla \times \mathbf{H} = \frac{\partial \mathbf{D}}{\partial t} + \mathbf{J}$ $\nabla \cdot \mathbf{D} = \rho$ $\nabla \cdot \mathbf{B} = 0$
Lorentz force on charge q	$q(\mathbf{E} + \mathbf{v} \times \mathbf{B})$
Constitutive relations	$\mathbf{D} = \epsilon \mathbf{E}$ $\mathbf{B} = \mu \mathbf{H}$

The Magnetic field

The pure Earth



The Magnetic field

Horizontal and Vertical components



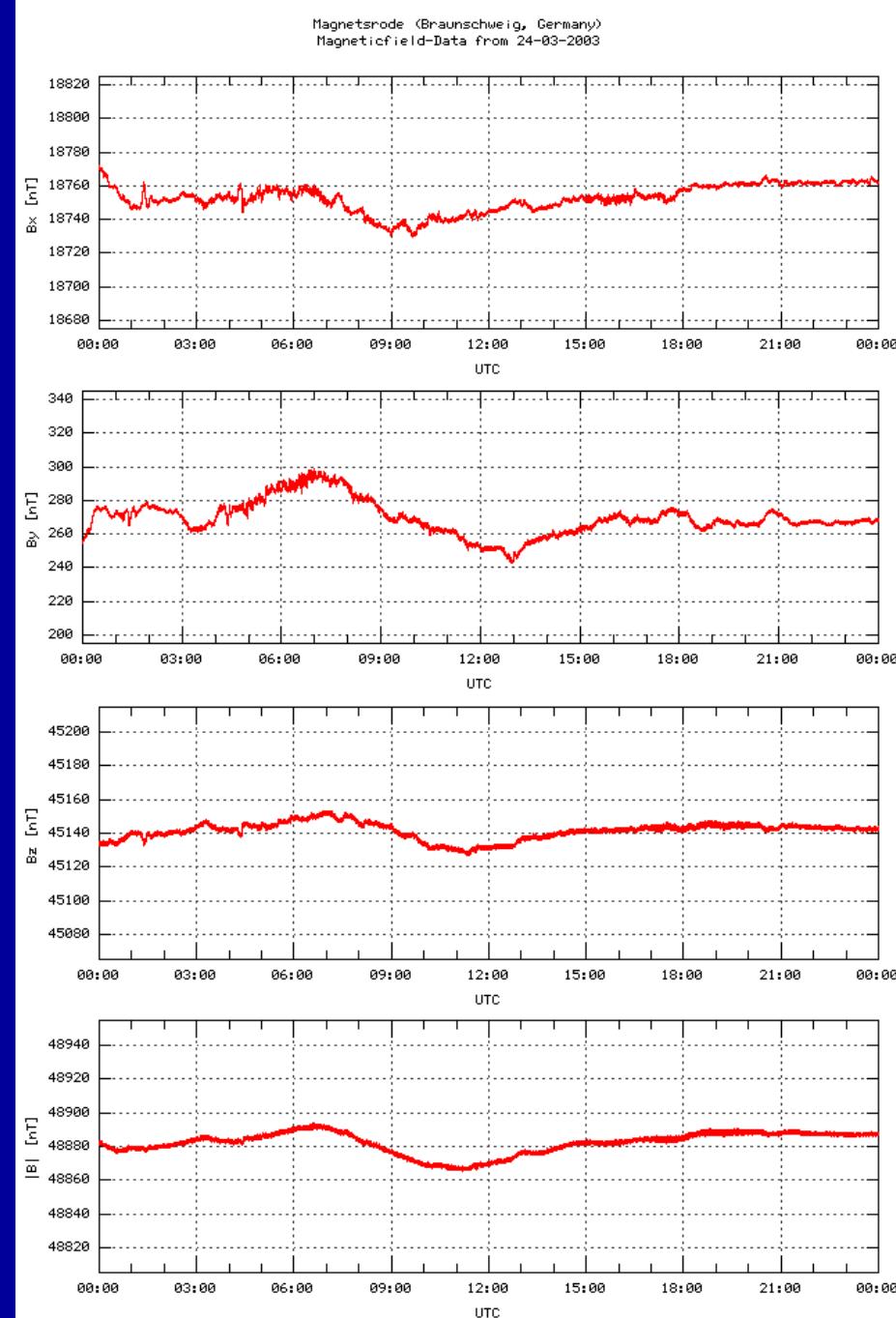
Declination



Inclination

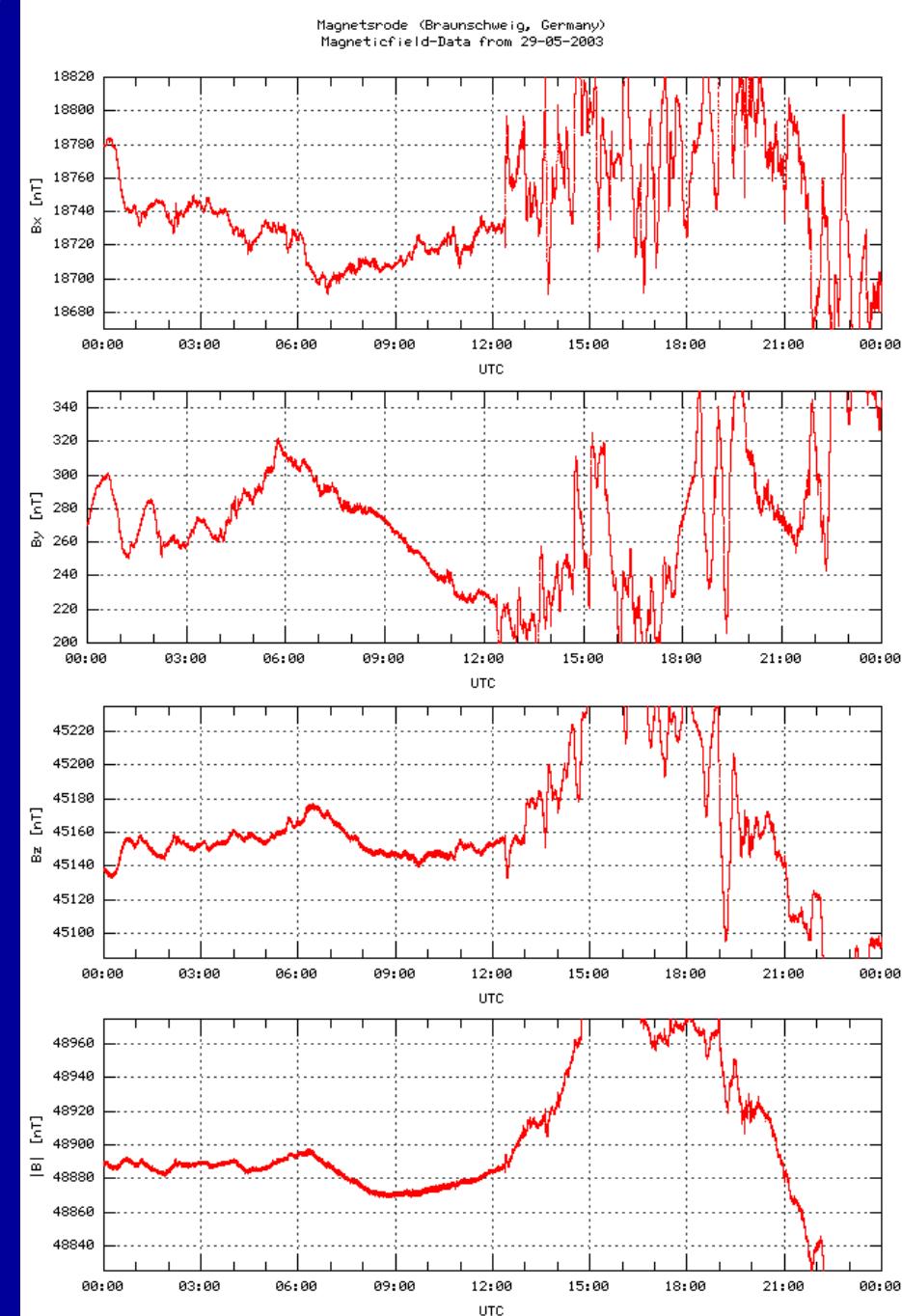
The Magnetic field Ground Observations- I

... a calm day



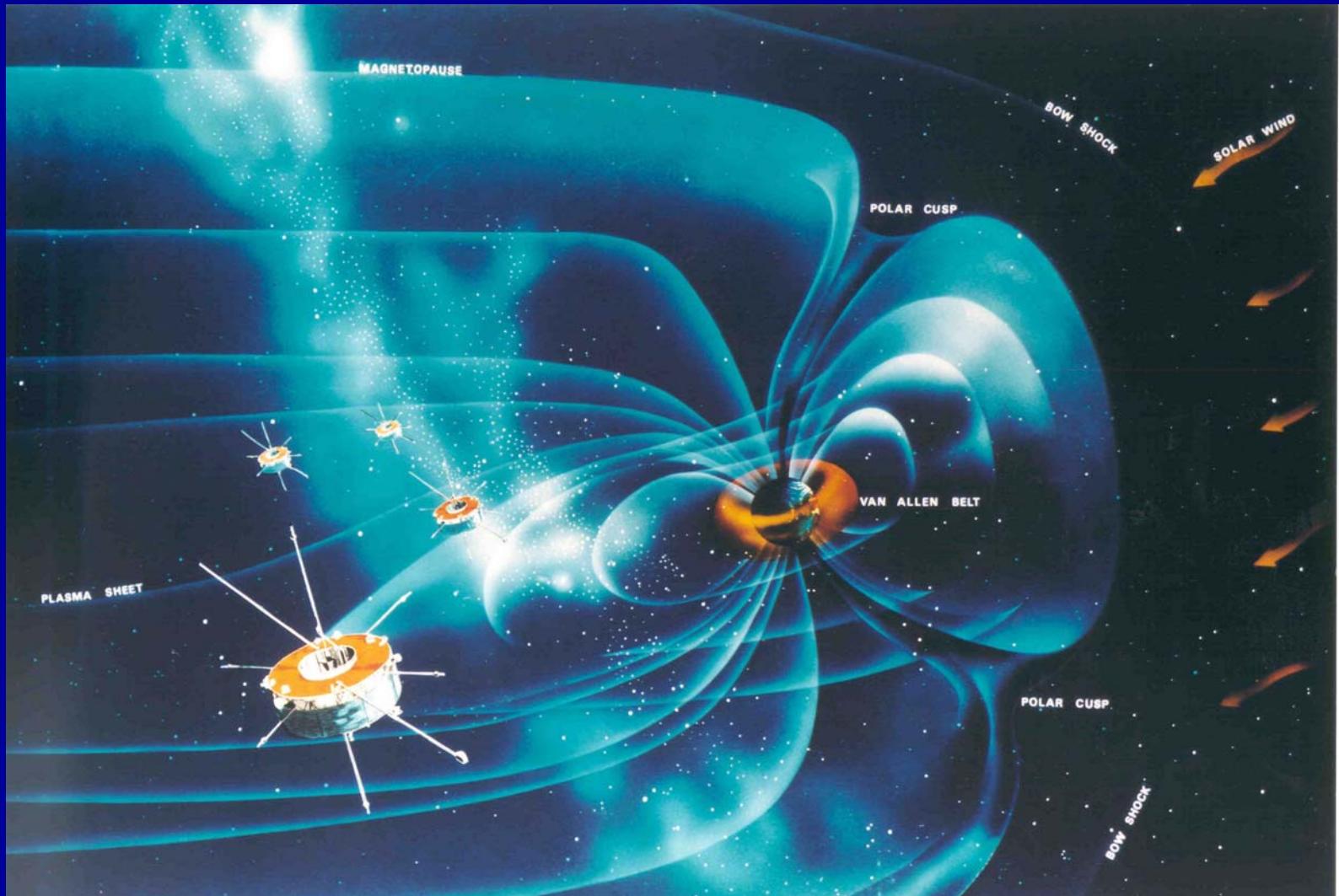
The Magnetic field Ground Observations- II

... a disturbed day



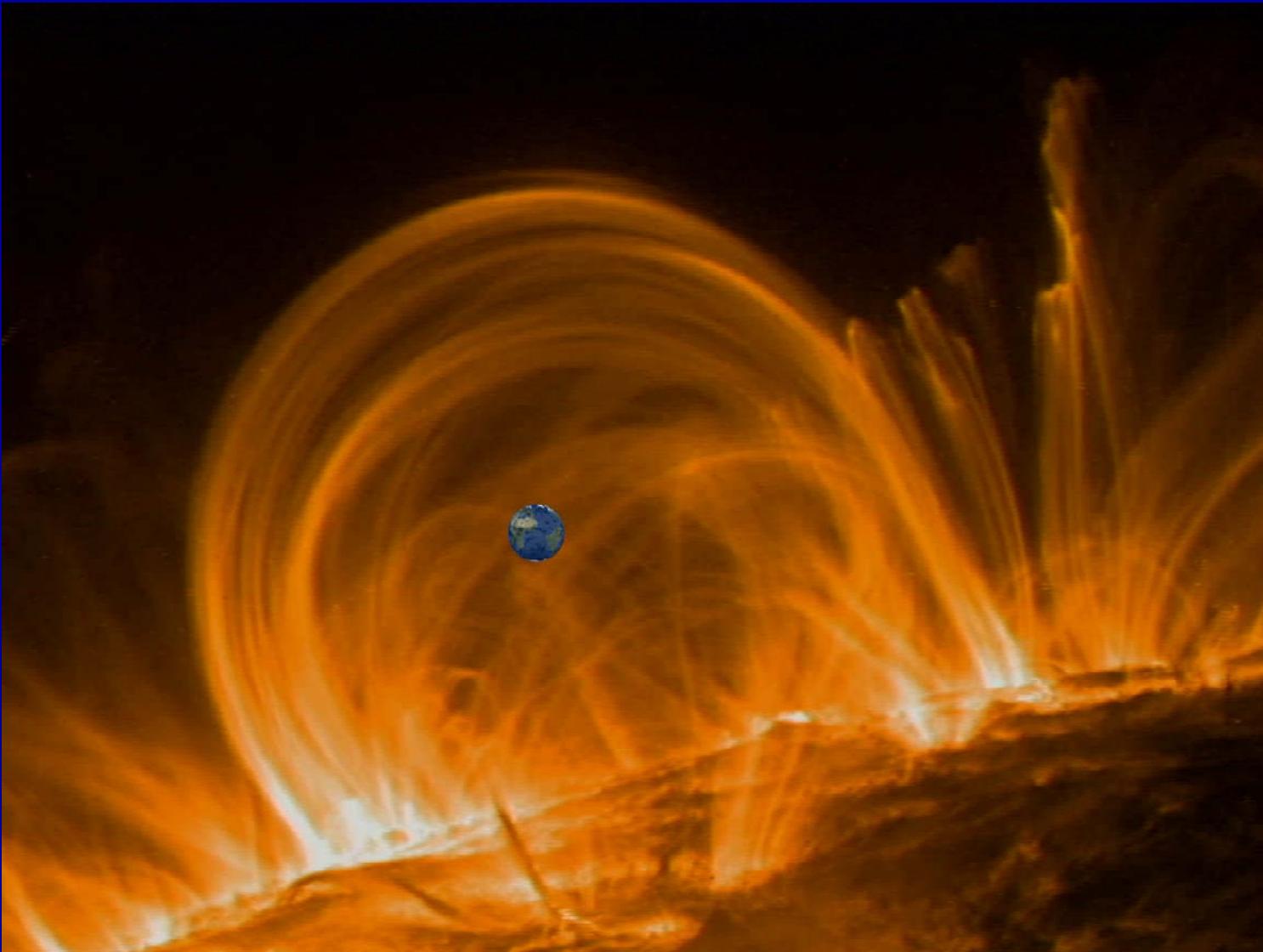
The Magnetic field

The real Earth

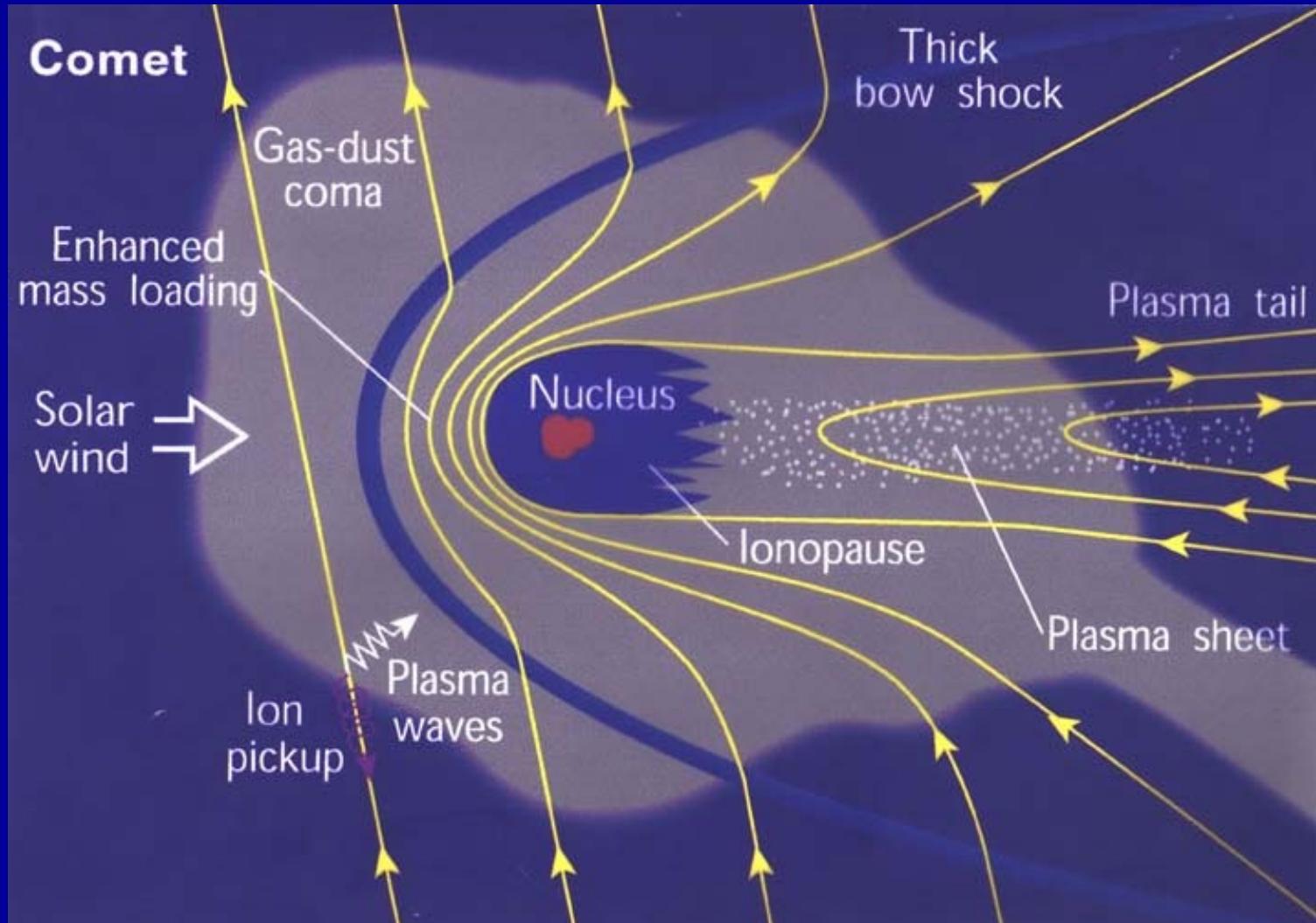


The Magnetic field

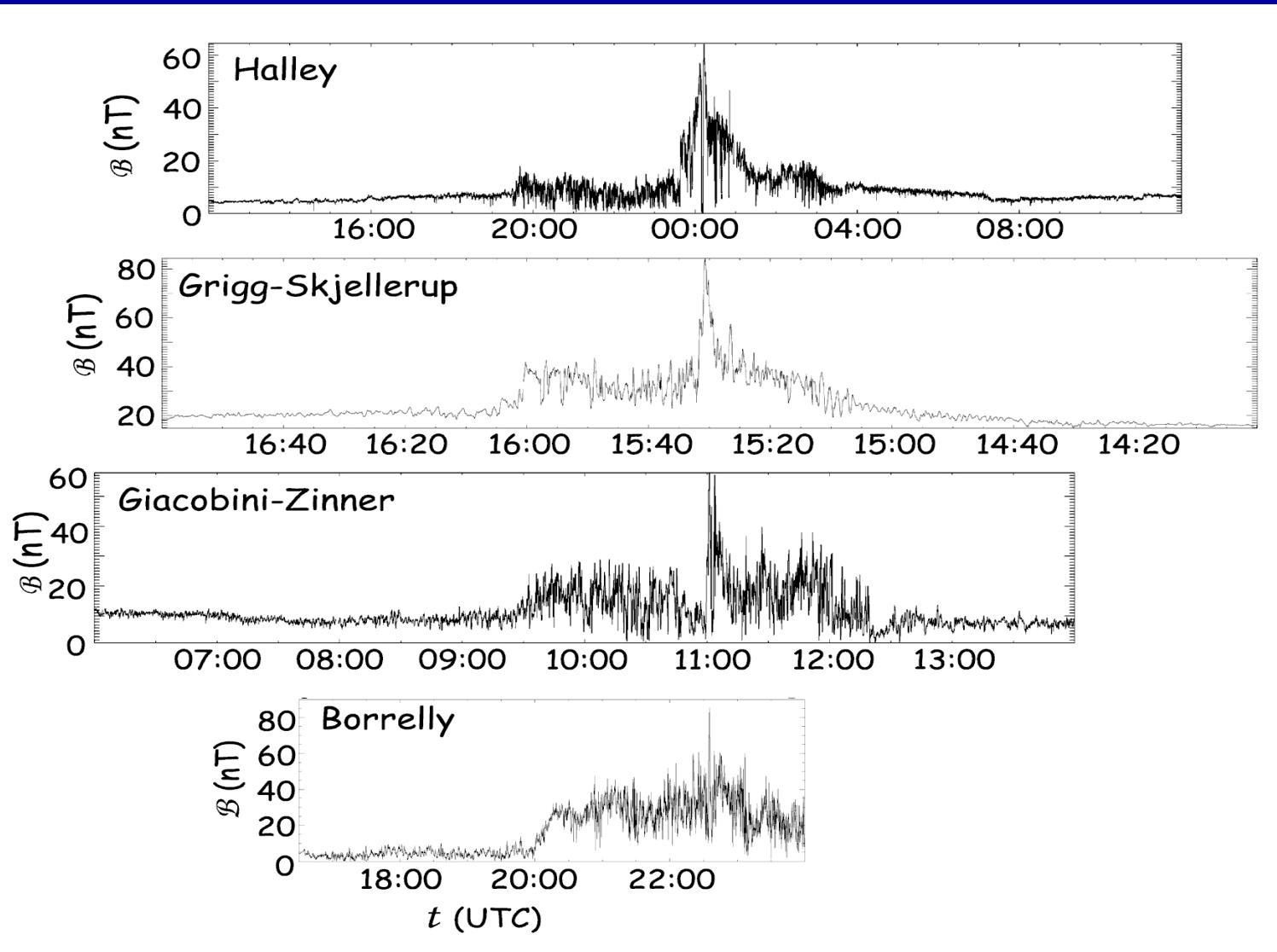
The Sun



The Magnetic field Comets



The Magnetic field Cometary Structures



Magnetometers

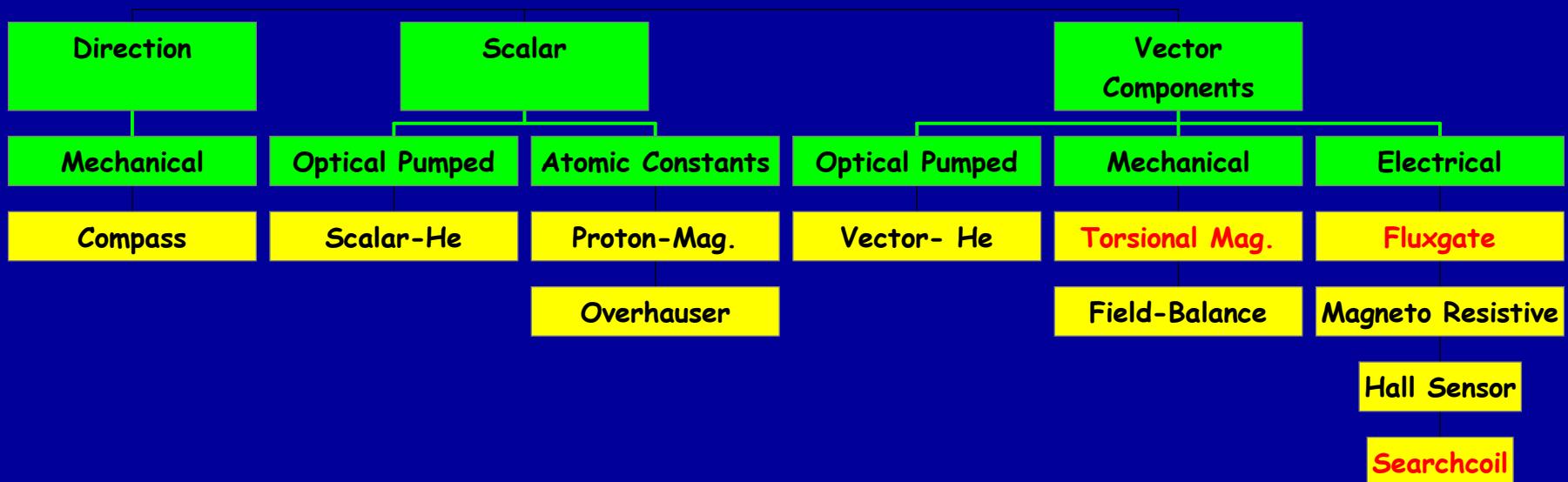
Magnetometers

Design Criteria for s/c Magnetometers

- Long term Stability
- Range (SW, Planetary fields)
- Resolution (ADC)
- Vector Rate, TM-Budget
- Filters (Aliasing, Order, Cut off)
- Commanding
- Power & Mass (Size)
- Position

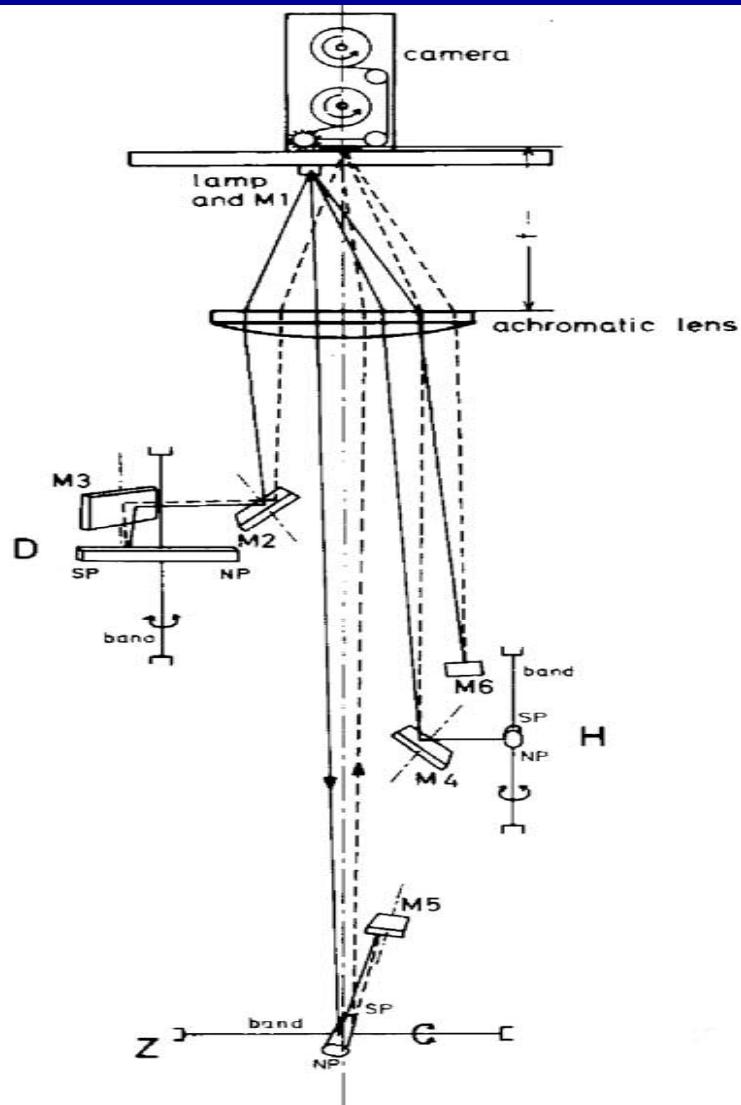
Magnetometers

Overview



Torsional Magnetometer

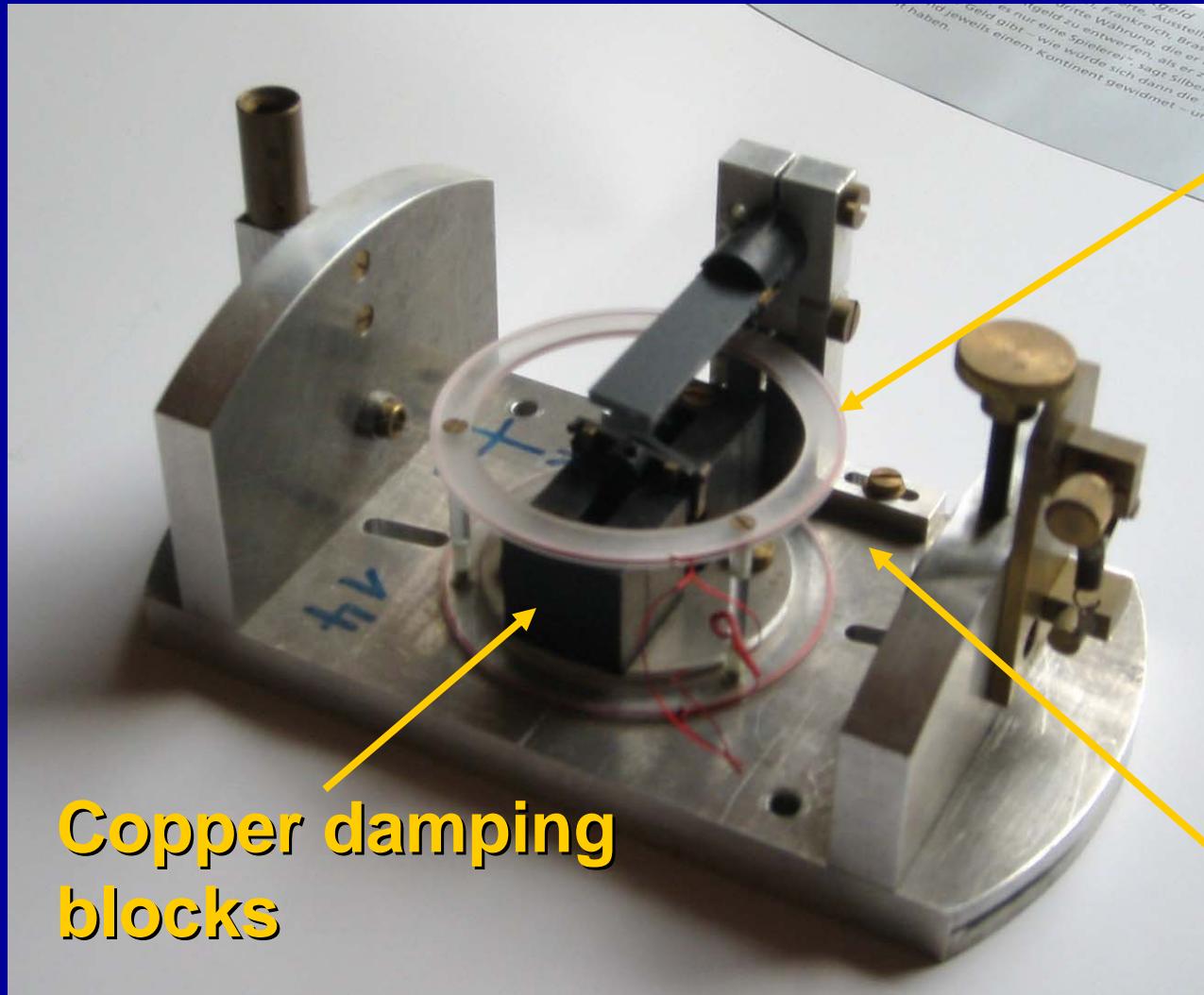
A Classical Instrument



The idea:
A magnet, suspended by a torsional wire, is rotating under the action of the Earth magnetic field. The rotational position of the magnet is determined by a light pointer and recorded on a normal film

Torsional Magnetometer

The z-Component of the Gough-Reitzel Magnetometer



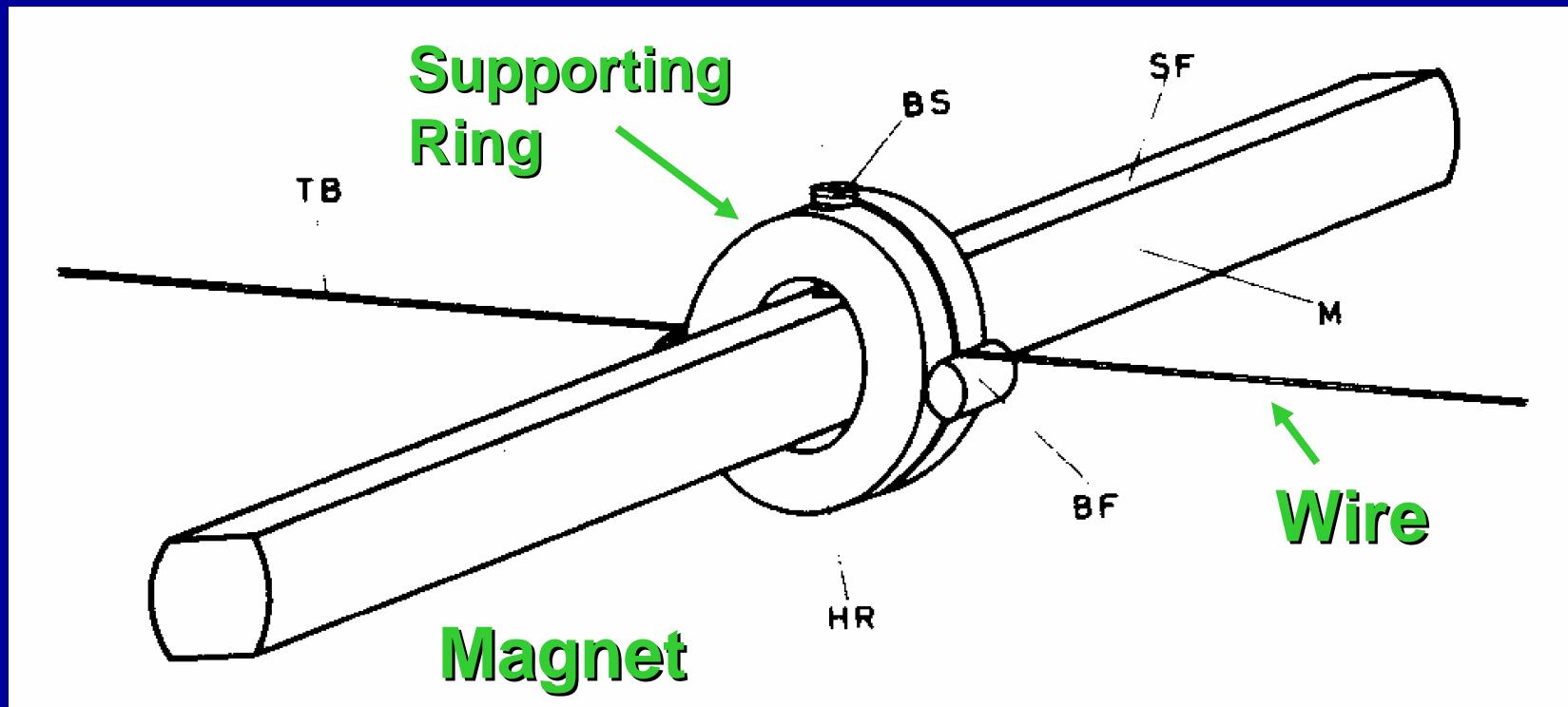
Copper damping
blocks

Helmholtz coil
for calibration

Suspending
wire

Torsional Magnetometer

Magnet and Suspending Wire



Torsional Magnetometer

Torque Balance for the z-component

The x-axis is aligned with the wire, the z-axis is vertical, and Y completes the system. Thus the torque balance equation reads:

$$M \cdot H_z - D \cdot \alpha = 0$$

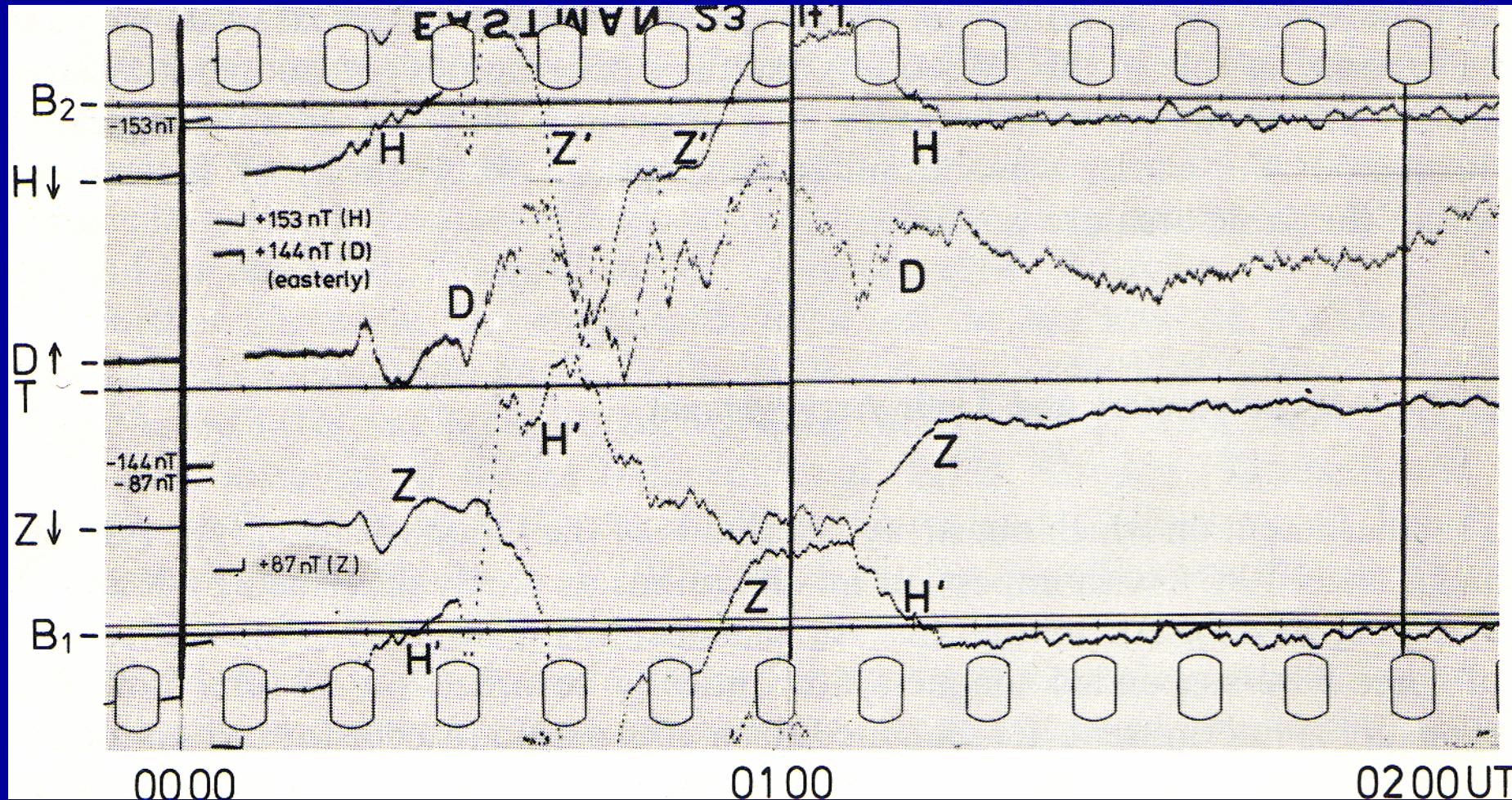
where M is the magnetic moment, H_z the vertical component of the field, D the torsional module, and α the torsional angle. It follows

$$H_z = \frac{D}{M} \alpha$$

Calibration determines D/M. Similar equations for H_x and H_y .

Torsional Magnetometer

A Sample Record



Torsional Magnetometer

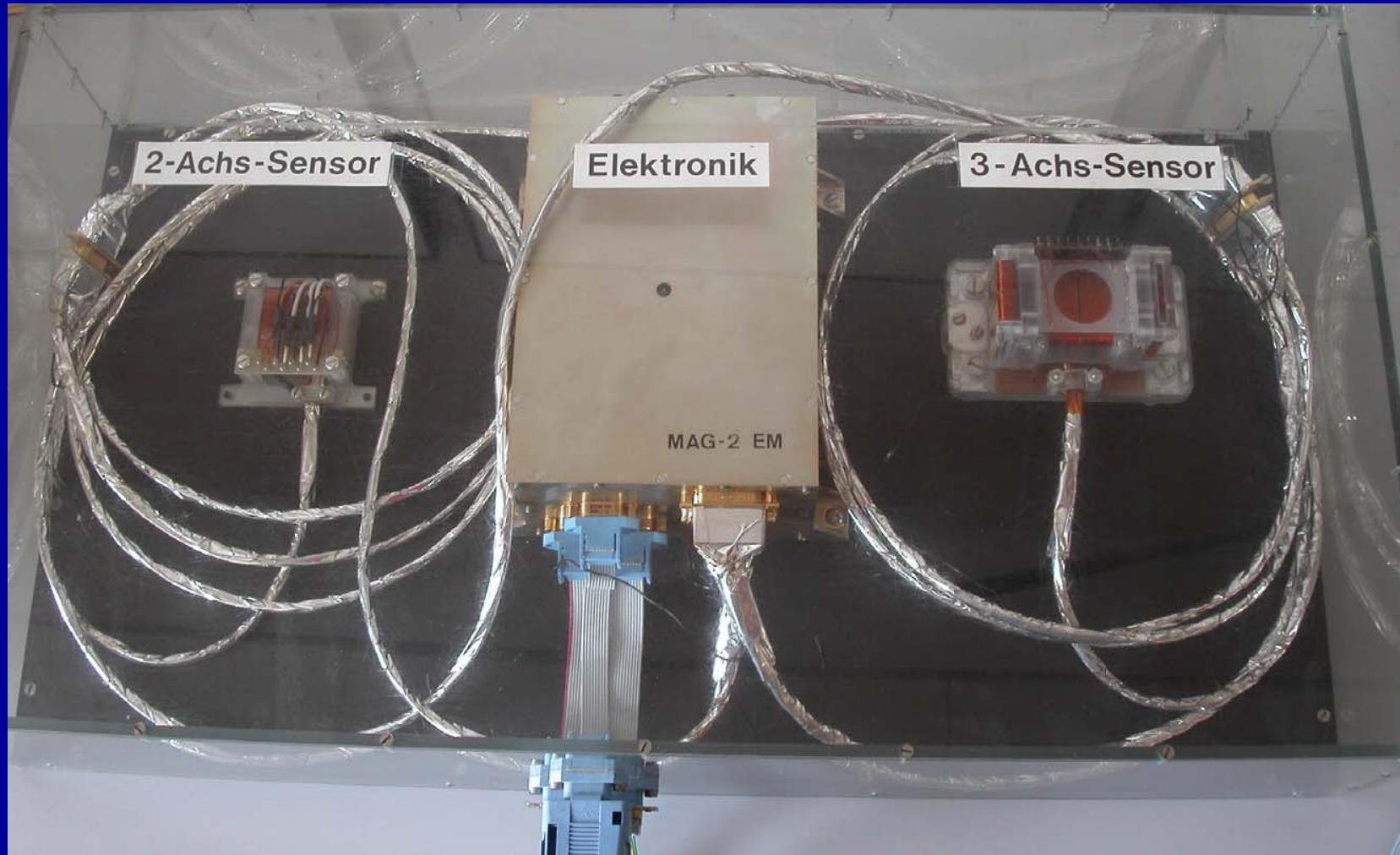
Characteristics

Weight:	10 kg
Power:	40 mW
Operating period:	70 days
Sampling:	0.2 vectors/s
Resolution:	1 nT
Dynamics range:	1500 nT

Fluxgate - Magnetometer (FGM)

Examples

GIOTTO FGM System



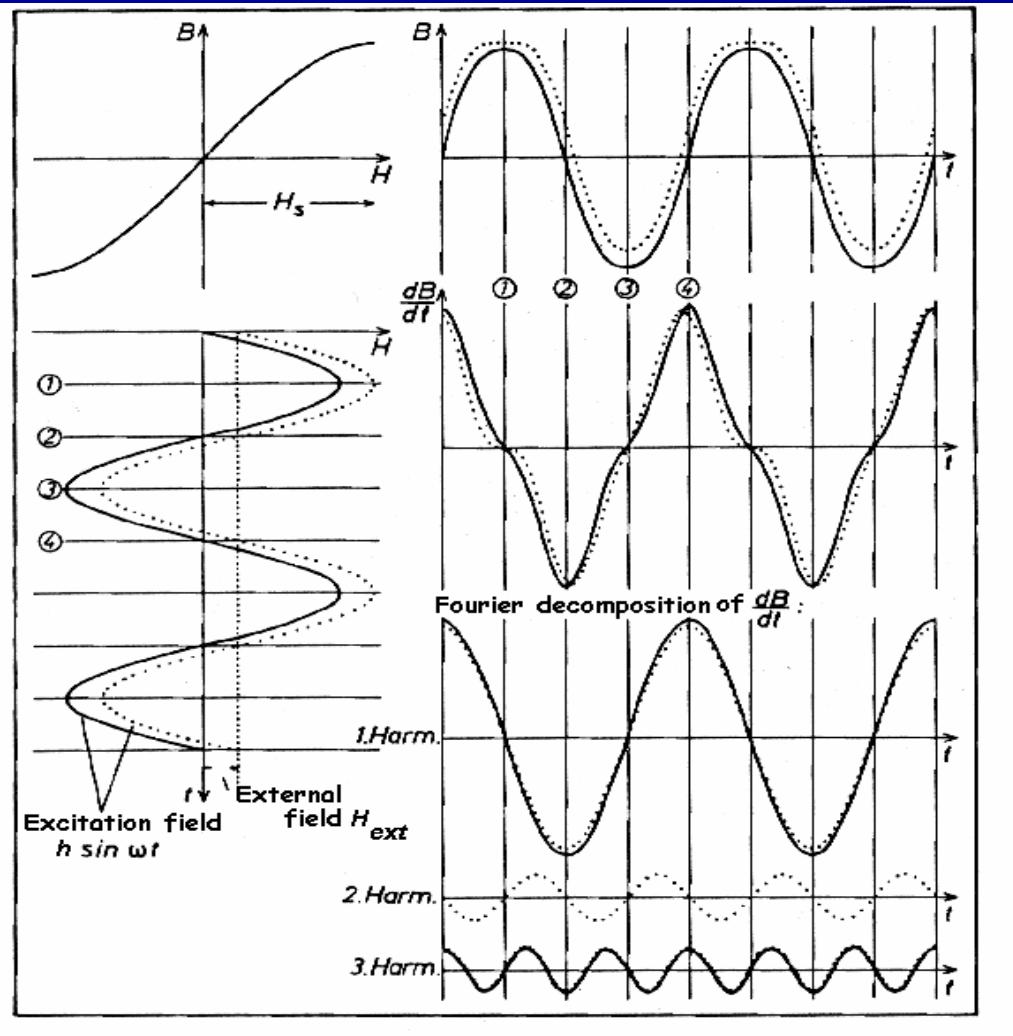
Fluxgate - Magnetometer (FGM)

Classification

- Saturated-Core-Magnetometer
- Vector measurements possible
- No absolute measurements
- Temperature Dependency
- Lightweight, compact construction
- Low power consumption
- Qualified for space applications

Fluxgate - Magnetometer (FGM)

Characteristic Curve, Excitation and Output Voltage



Characteristic curve:

$$B(H(t)) = 3 H(t) - H^3(t)$$

Excitation:

$$H(t) = H_{ext} + h \sin(\omega t)$$

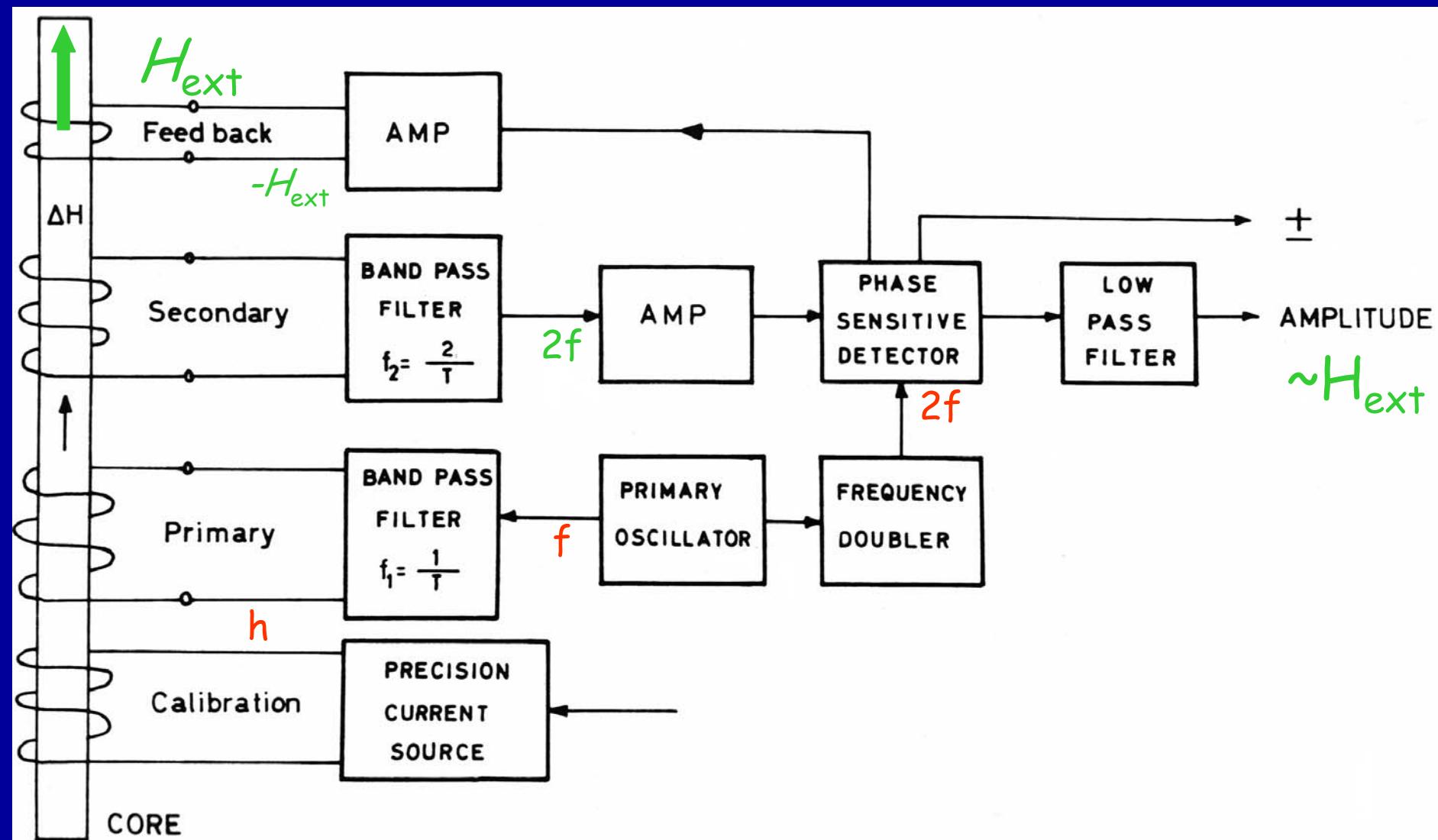
Induced voltage at the secondary coil:

$$Ui \sim \frac{dB}{dt}$$

$$\begin{aligned}
 &= 3 h (1 - H_{ext}^2 - \frac{1}{4} h^2) \omega \cos(\omega t) \\
 &\quad - 3 H_{ext} h^2 \omega \sin(2 \omega t) \\
 &\quad + \frac{3}{4} h^3 \omega \cos(3 \omega t)
 \end{aligned}$$

Fluxgate - Magnetometer (FGM)

Schematic Construction



Fluxgate - Magnetometer (FGM)

Functional Principle: Summary

- Non-linear magnetization curve is driven into saturation by periodic excitation (f)
- Pulsed excitation \Rightarrow less power consumption
- External field H_{ext} \Rightarrow $(2f)$
- Lock-in ($2f$), PSD, Integration \rightarrow
 $\langle U_{2f} \rangle \sim B_{ext}$
- Feedback using $-\langle U_{2f} \rangle \Rightarrow$ Zero field and reduction of non-linearities

Fluxgate - Magnetometer (FGM)

Sensor Design

Problem:

Decoupling of small 2nd harmonic from the excitation signal

Solution:

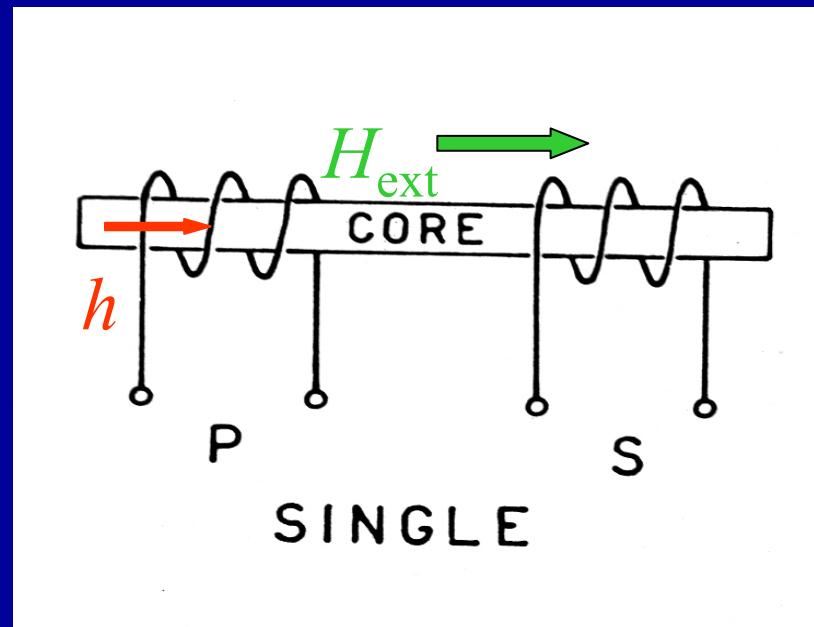
Suitable sensor geometry for suppression of odd harmonics

Fluxgate - Magnetometer (FGM)

Sensor Design:

Rod Core

Simple excitation coil, simple secondary coil
⇒ No suppression of odd harmonics

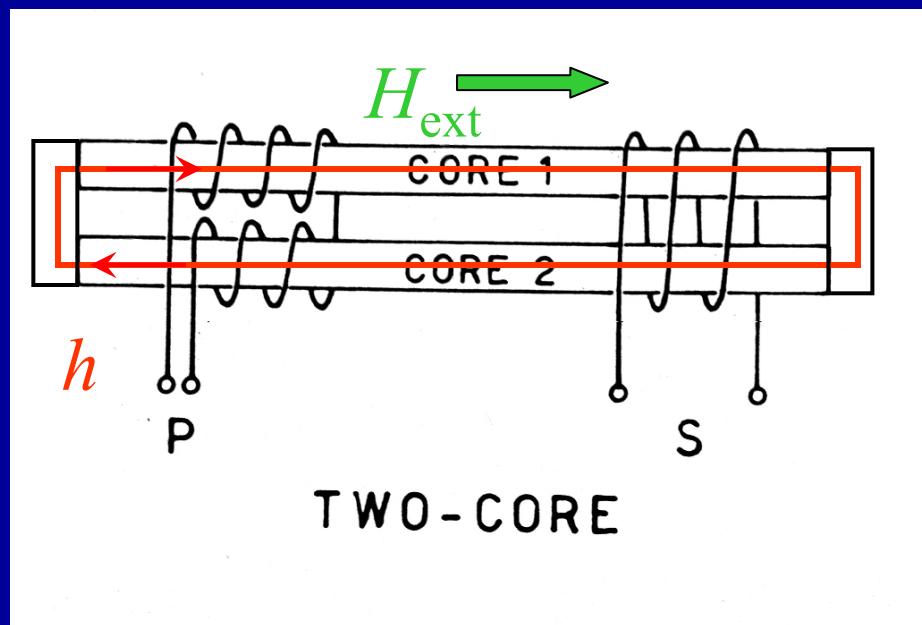


Fluxgate - Magnetometer (FGM)

Sensor Design:

Double Rod Core

Two individual excitation coils, common secondary coil
⇒ Only even harmonics



Fluxgate - Magnetometer (FGM)

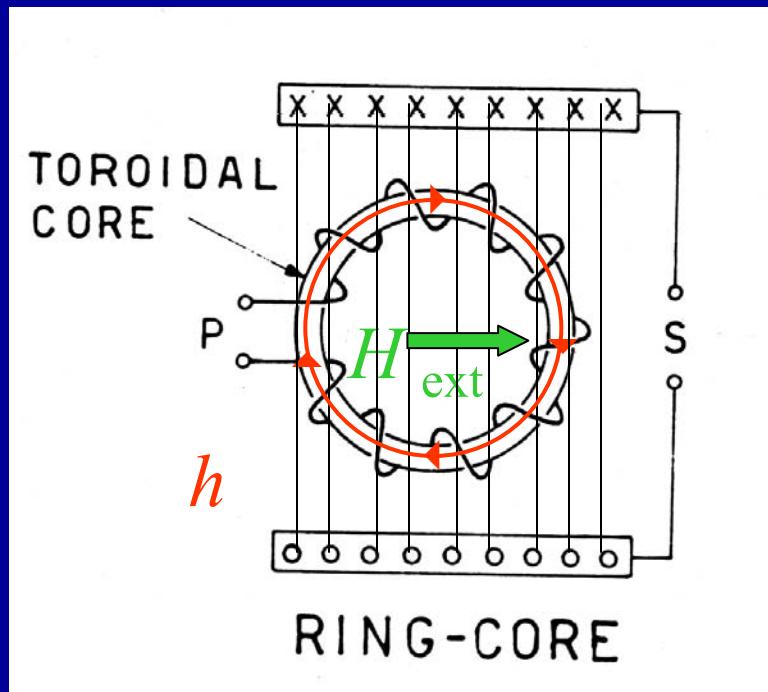
Sensor Design:

Ring Core

Further development of the Double Rod Core with same advantages.

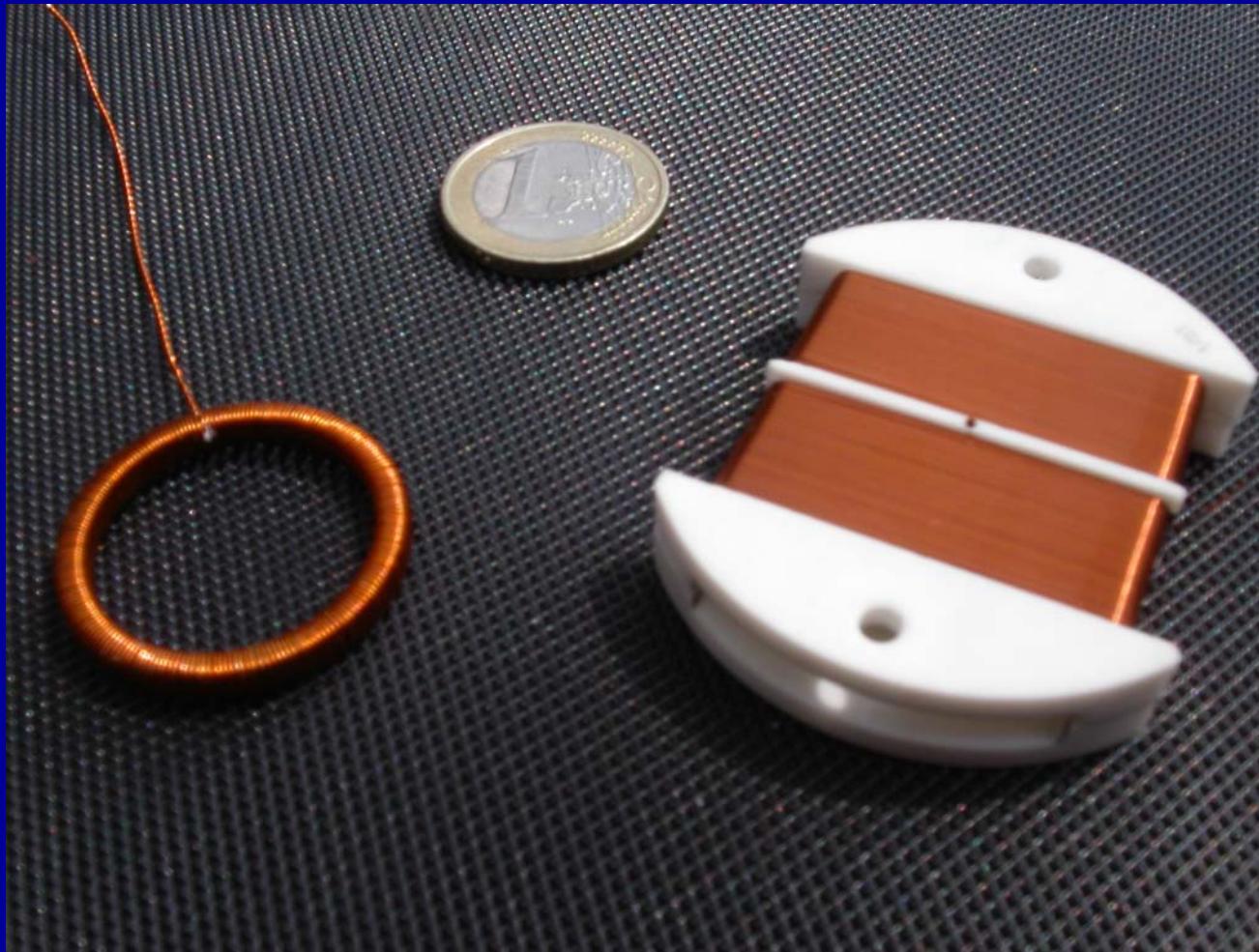
Common outer rectangular secondary coil

⇒ Only even harmonics



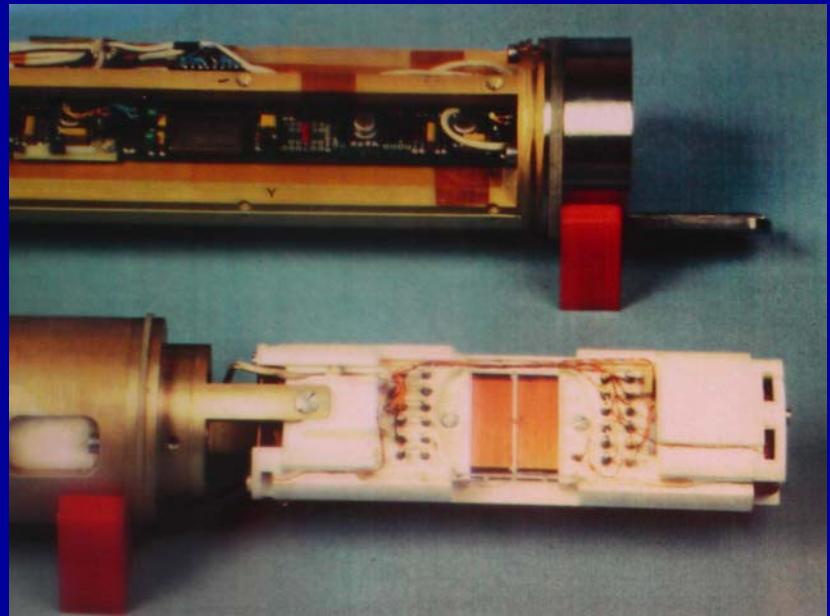
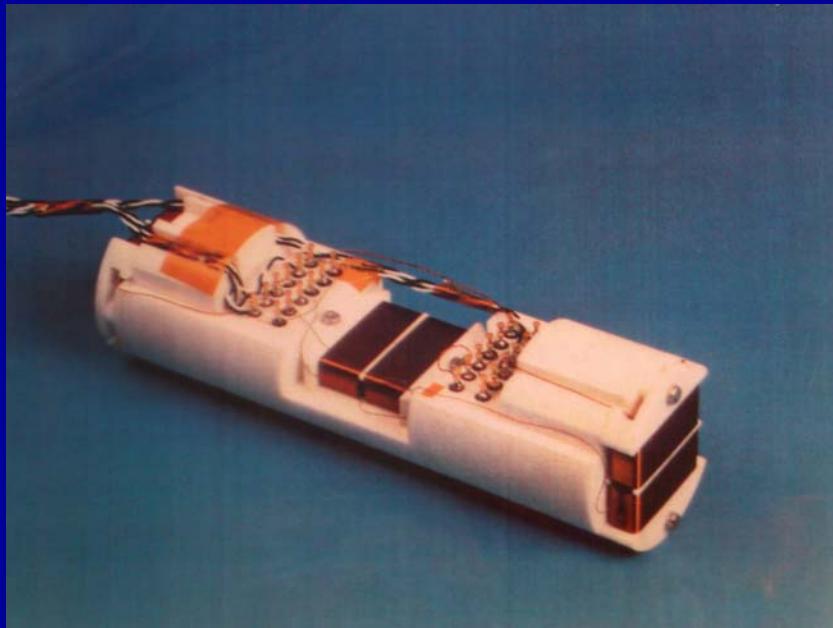
Fluxgate - Magnetometer (FGM) Examples

1- Axis Ring Core Sensor



Fluxgate - Magnetometer (FGM) Examples

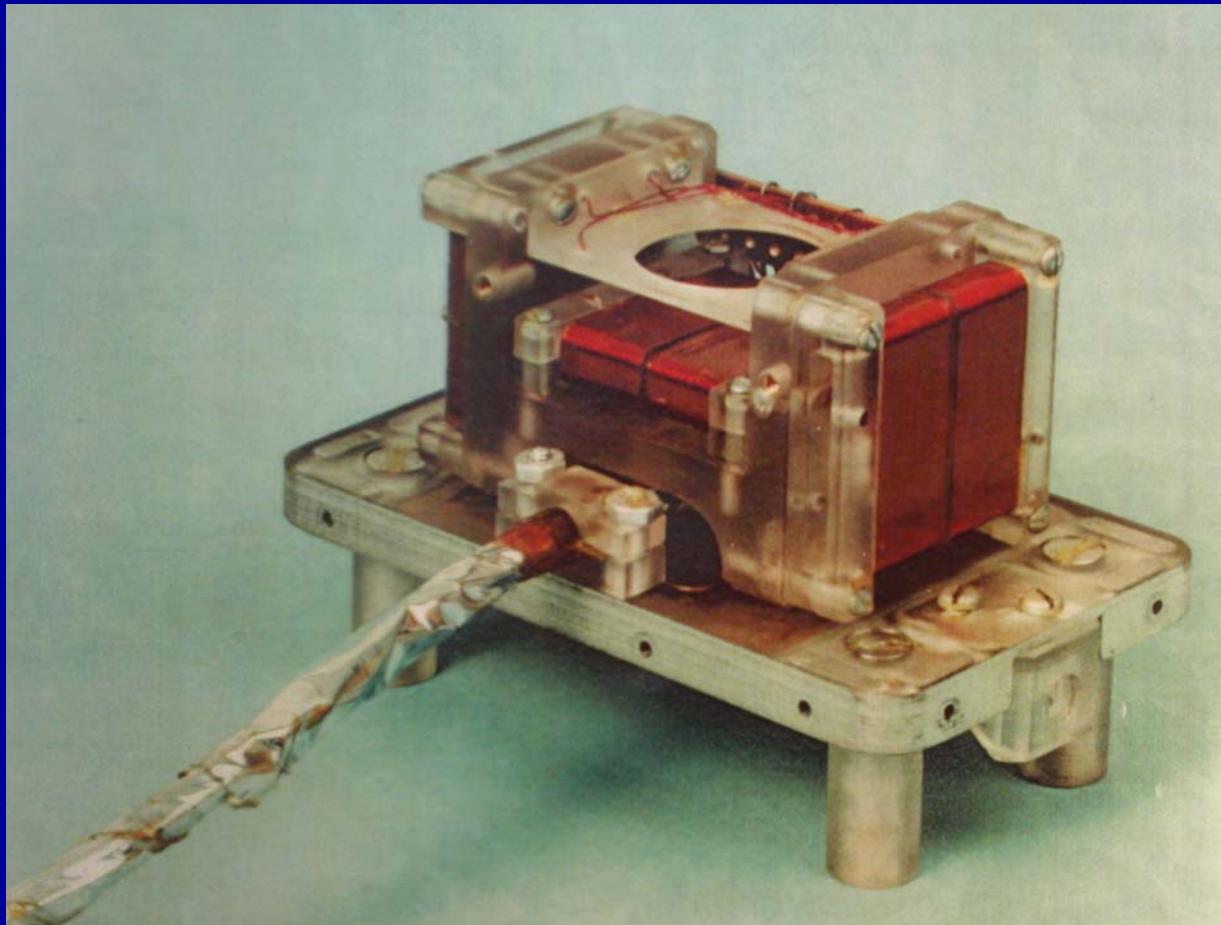
3 Axes FGM KTB Borehole Sensor



Fluxgate - Magnetometer (FGM)

Examples

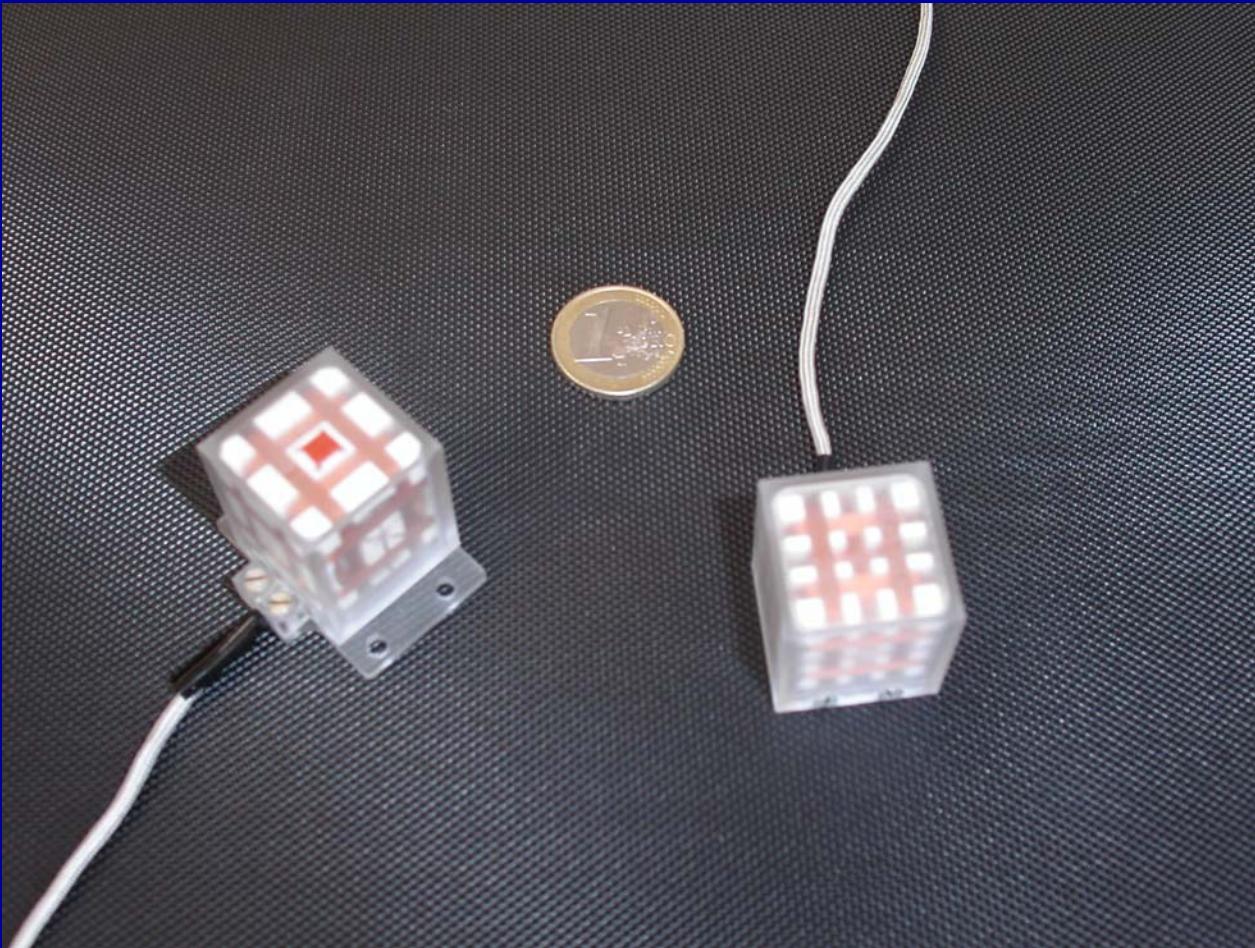
3 Axes CLUSTER FGM Sensor



Fluxgate - Magnetometer (FGM)

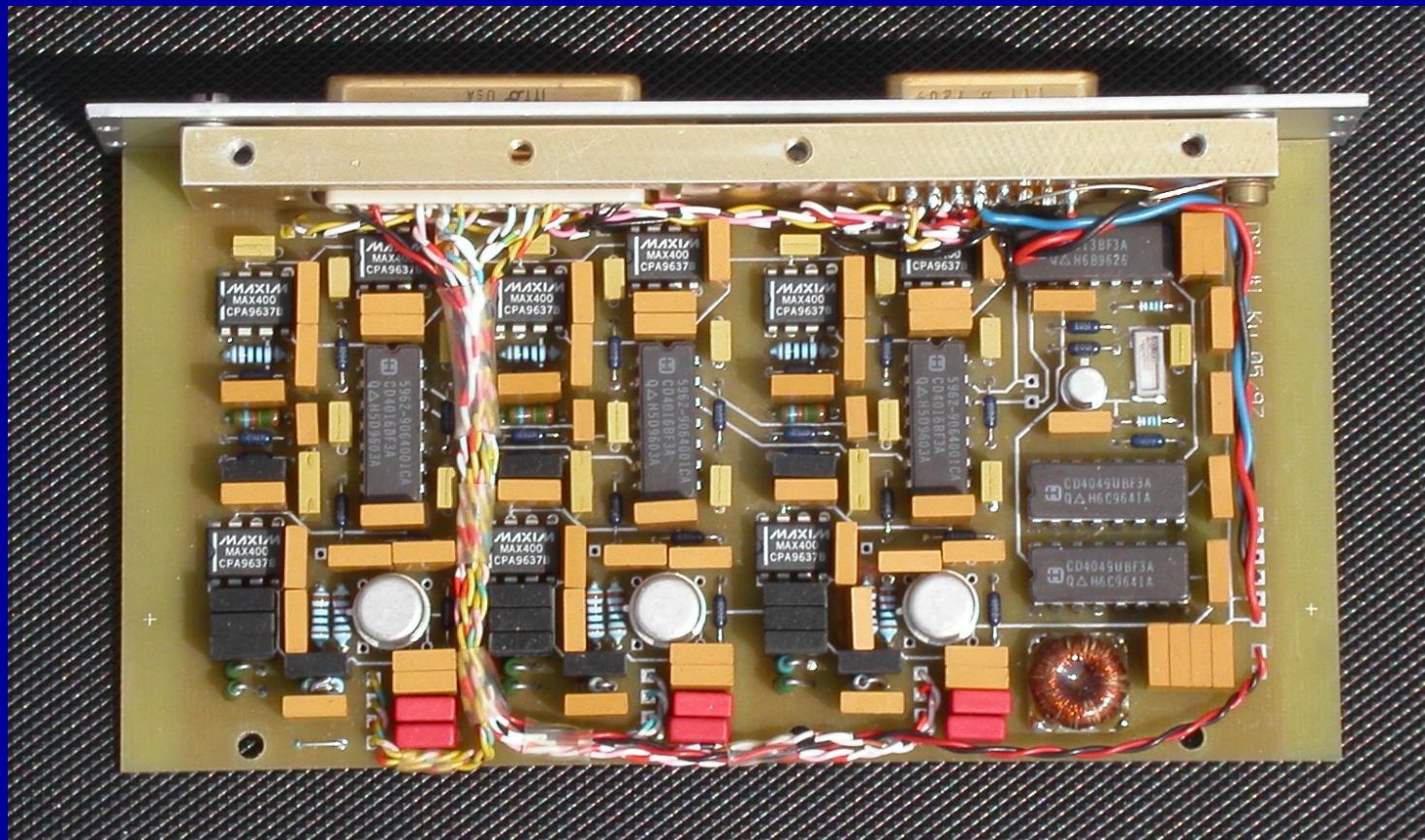
Examples

3 Axes ROSETTA / DS 1 FGM Sensors



Fluxgate - Magnetometer (FGM) Examples

DS 1 FGM Analog Electronics



Fluxgate Magnetometer (FGM)

Characteristics

e.g. ROSETTA

Weight (sensor):	30 g
Power:	500 mW
Operating period:	15 years
Sampling:	20 vectors/s
Resolution:	0.04 nT
Dynamics range:	16000 nT

SearchCoil - Magnetometer

Classification

- Induction-Coil-Magnetometer
 - ⇒ AC-field measurements only
- Frequency spectrum mHz ... MHz
- Vector measurements with 3 orthogonal coils

SearchCoil - Magnetometer

Functional Principle

- Induction law: $\text{rot } \underline{E} = - d\underline{B} / dt$
- Induced Voltage: $U_{ind} = \int \underline{E} \bullet d\underline{s}$
⇒ $U_{ind} = - n \cdot d (\underline{F} \bullet \underline{B}_{\perp}) / dt$
- Harmonic fields $B = \hat{B} \sin(\omega t)$ and constant area F
⇒ $\hat{U}_{ind} = n \cdot F \cdot \omega \cdot \hat{B}$

SearchCoil - Magnetometer Characteristics

- Voltage rises linear with frequency & amplitude
 - Signal in case of
 - * rotation of coil in constant field
 - * fixed coil in time varying field
 - * temporally varying coil geometry
(Temperature!) in constant field
- Result: Interpretation in unknown field is difficult if magnetometer (s/c!) is in motion

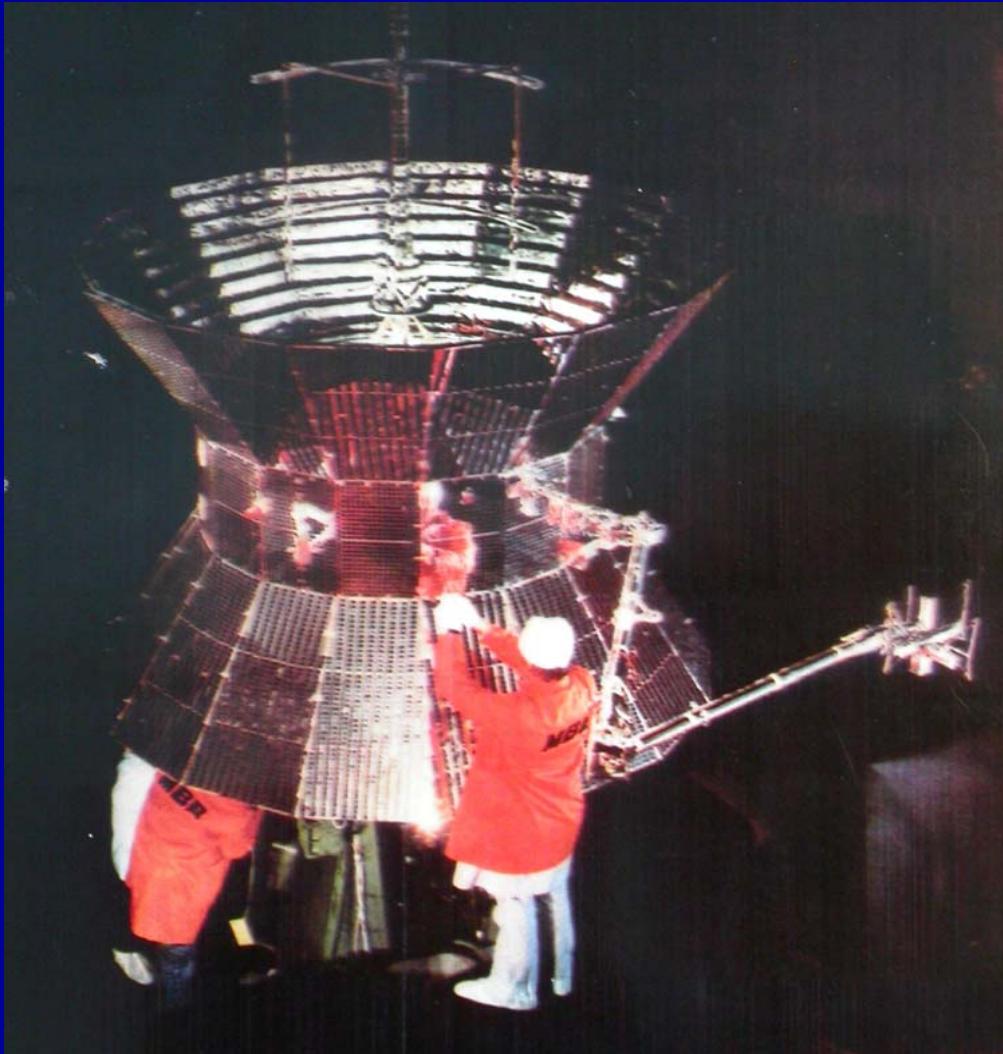
SearchCoil - Magnetometer

Real Sensors-Overview

Application	Axes	Wdgs.	Frequency Range [Hz]	Dimensions l x r [cm]	Sensitivity [μ V/nT Hz]
Micro-pulsations	3	200000	1m ...10	200 x 1.25	700
Magneto-telluric (MT)	1	40000	0.3m... 300	120 x 1.15	73
Audio MT	1	10000	1 ... 20k	90 x 1.1	8.6
Helios S/C	3	60000	5 ...2.2k	35 x 0.3	6
Galileo S/C	1	1500	0.1 ... 100k	30 x 0.25	0.18

SearchCoil - Magnetometer Example

Searchcoils onboard the Helios s/c



Magnetometer Calibration

Calibration is the process of determining the relationship between the measured signal and the true magnetic field.

The calibration process involves measuring the sensor output at known magnetic field strengths and then fitting a mathematical model to the data.

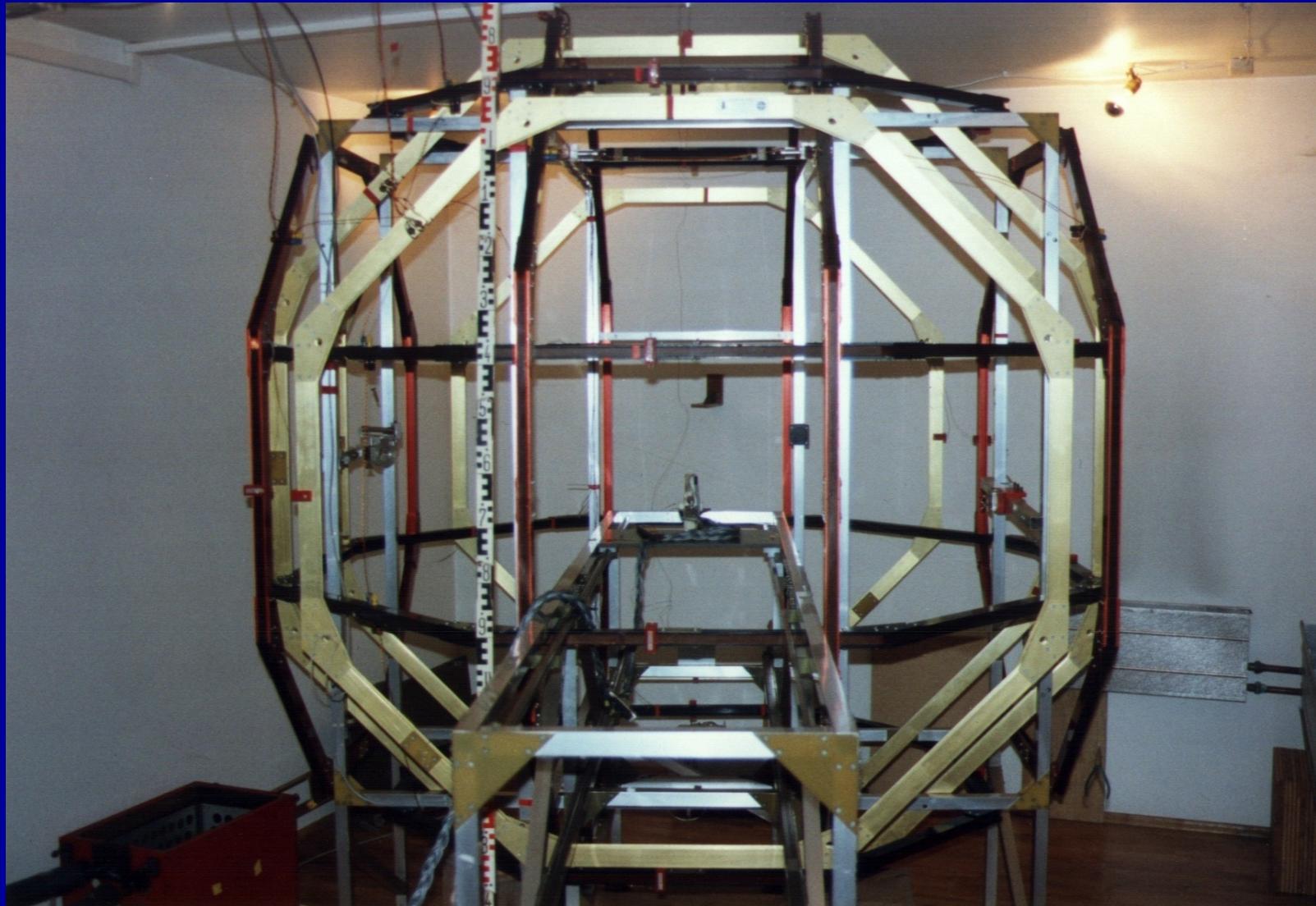
Common calibration models include linear regression and polynomial fits. The choice of model depends on the specific characteristics of the magnetometer and the range of magnetic fields being measured.

Calibration is typically performed in a controlled laboratory environment where the magnetic field can be precisely controlled and measured. This ensures that the calibration data is accurate and reliable.

Once the calibration model has been determined, it can be used to convert the raw sensor output into a more accurate representation of the true magnetic field. This allows for better performance and more accurate results in various applications.

Magnetometer Calibration

Magnetsrode - MCF



Magnetometer Calibration

Magnetsrode - Characteristics

- Compensation: Dynamic
- Field - Range: -100000 nT ... +100000 nT
- Field - Direction: any, 3 components
- Field - Type : DC, AC, Arbitrary
- Field - Sequence: arbitrary, user defined
- Accuracy: < 0.8 nT
- Temperatures: -196°C ... +200°C

Magnetometer Calibration

Sensor Model

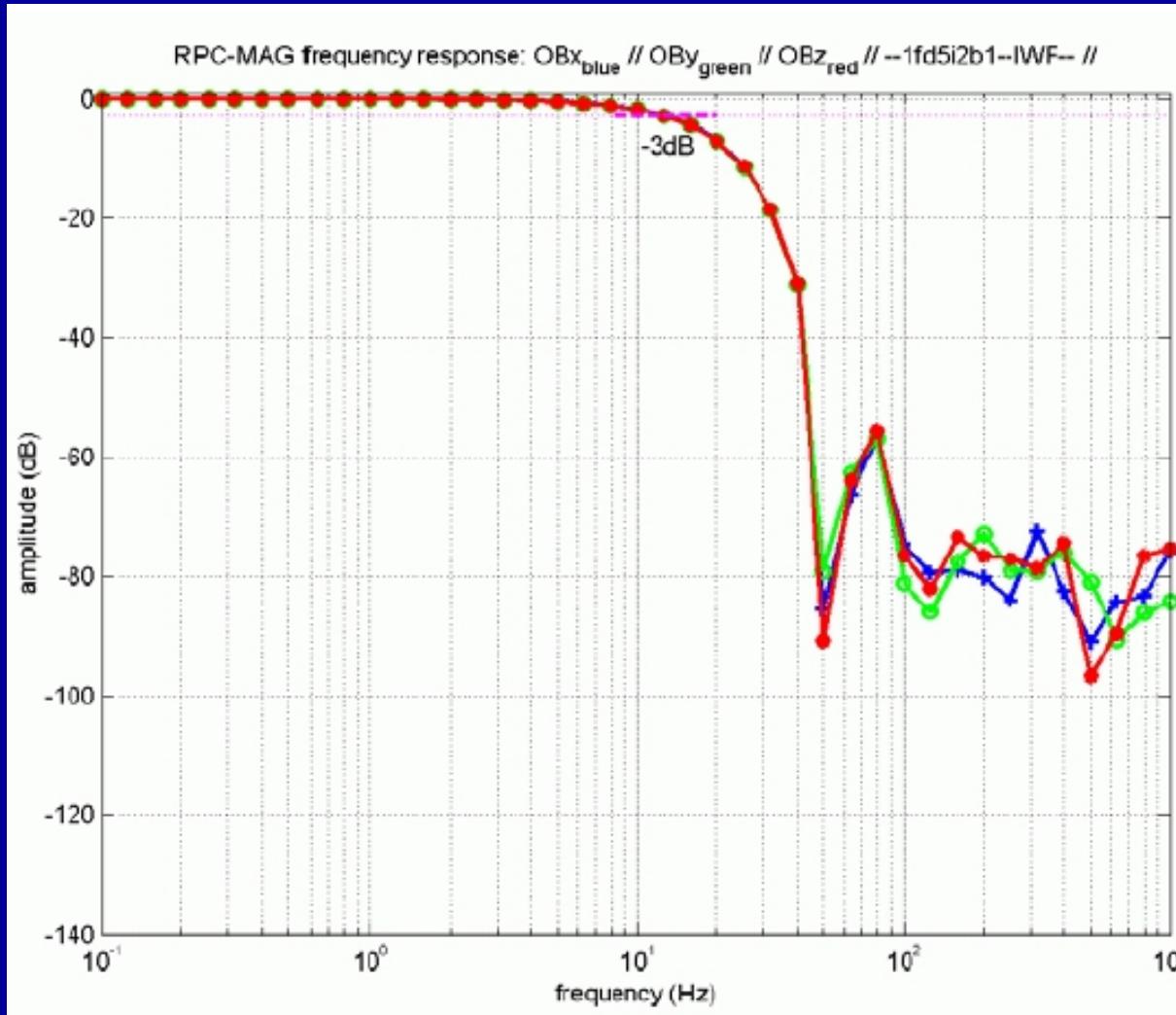
$$\underline{B}_c = \underline{F}^{-1} \underline{B}_m$$

$$\underline{B}_c = \{\underline{\underline{R}}^{-1} \quad \underline{\underline{M}}^{-1} \quad \underline{\underline{S}}^{-1}\} (\underline{B}_r - \underline{B}_o - \underline{B}_{res})$$

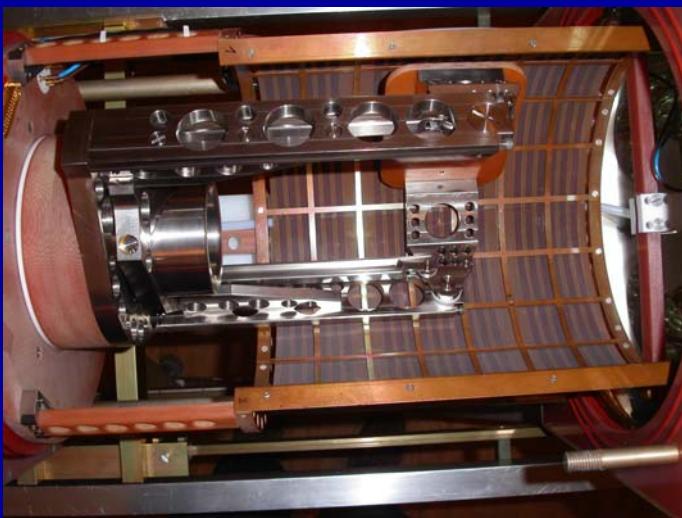
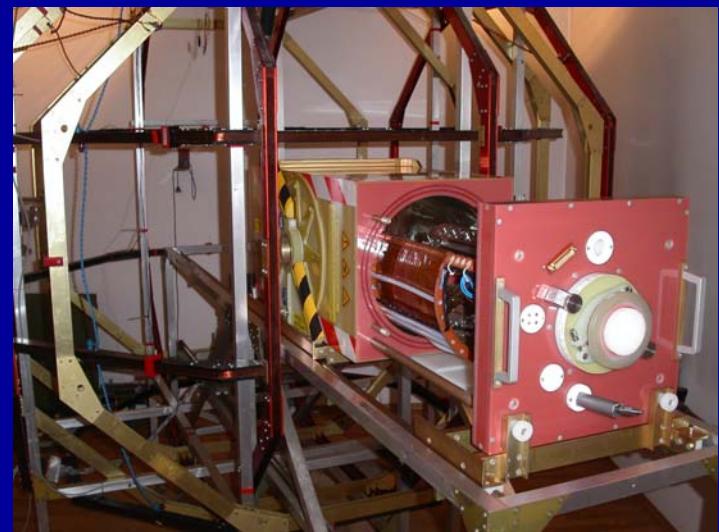
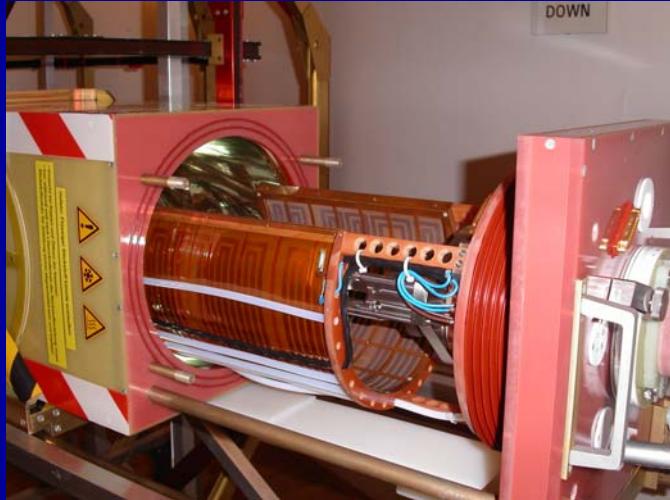
Magnetometer Calibration Parameters

- Sensitivity $\underline{S} = \{ S_{ii} \} , \quad S_{ii} = S_{ii}(T)$
- Misalignment $\underline{M} = \{ M_{ij} \} , \quad M_{ij} = M_{ij}(T)$
- Offset $\underline{B}_O = \{ B_{ox}(T), B_{oy}(T), B_{oz}(T) \}$
- Frequency Response

Magnetometer Calibration Frequency Response



Magnetometer Calibration Temperature Behavior



Magnetic Cleanliness

Magnetic Cleanliness

Basic Ideas

- Magnetic properties of the s/c have to be known to perform excellent measurements in space
 - ⇒ Every unit has to be mapped before integration
- S/C is represented by a model of n Dipoles
- Usage of Compensation-Magnets
 - ⇒ Magnetic field at the location of the MAG can be minimized

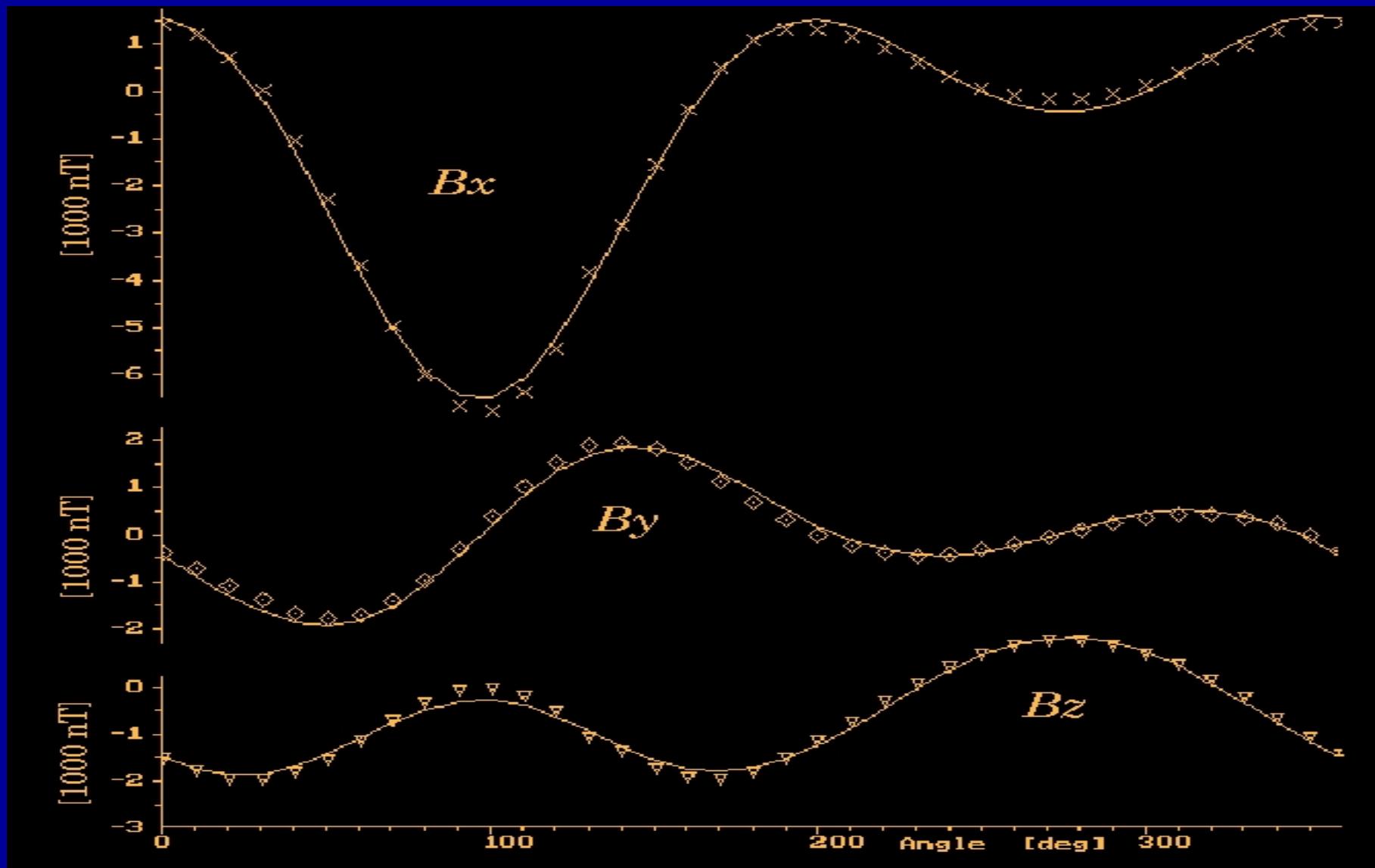
Magnetic Cleanliness

A mobile Coil Facility - (MCF)



Magnetic Cleanliness

Example: A CLUSTER Thruster



Magnetic Cleanliness

Example: A CLUSTER Thruster

REPORT (UNIT LEVEL MODEL)

DUT-NAME: 10 Newton Thruster s/n 485

SCS (Spacecraft Coordinate System)

	Position [cm]			Moments [mAm2]			
	x	y	z	Mx	My	Mz	Mtot
1.	22.18	112.21	85.48	327.53	-384.85	-16.20	505.62
2.	28.47	100.32	86.69	-1105.86	-2189.66	334.80	2475.80
3.	25.90	101.97	86.78	729.64	2505.89	-276.60	2624.57
Total Moment spec:							9.50
Total Moment :				-48.68	-68.62	42.00	94.03
Pos FGMO (x,y,z) [cm] :				124.65	-600.19	52.59	
Field FGMO spec (x,y,z,tot) [pT] :				-0.7	5.2	0.3	5.3
Field FGMO (x,y,z,tot) [pT] :				23.1	-33.0	-14.4	42.8

Summary

- Magnetic field measurements in space are exciting and interesting due to complex, temporally varying plasma interactions between SW, celestial bodies
- Instrumentation: FGM is standard s/c application (low power, lightweight, reliable, remote controlled, radiation hard, long term stable, high resolution...)
- Careful calibration necessary for serious science
- Extensive Magnetic Cleanliness program guarantees known measurement conditions

More Information:



- **Modern Magnetic Field Measurement Devices:**
[ftp.geophys.nat.tu-bs.de/pub/mrode/doc/mag_en_over.pdf](ftp://geophys.nat.tu-bs.de/pub/mrode/doc/mag_en_over.pdf)
- **Daily Magnetic Field Data:**
www.geophys.tu-bs.de/dienste/mrode/daten_en.html
- **Magnetsrode Calibration Facility:**
www.geophys.tu-bs.de/dienste/mrode/magnetsrode_en.html